

# A Receding Horizon Approach for the Runtime Management of laaS Cloud Systems

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### Agenda

- \* Introduction
- \* Problem
  - Problem statement and design assumption
  - Receding Horizon algorithm
- \* Experimental Analysis
- \* Conclusions



#### Introduction

The advent of Cloud Computing changed dramatically the ICT industry

- \* Google, Amazon, Microsoft, Salesforce, Oracle, SAP, SoftLayer, Rackspace etc...
- \* Cost-effective solutions
- Computational power
- \* Reliability
- \* Auto-scaling

New business paradigms appeared on the market

- \* laaS, PaaS, SaaS
- \* But also DaaS, BDaaS, HDaaS, etc...



#### Introduction: challenges

The growing popularity of Cloud Computing opens new challenges

- \* Vendor lock-in
- Design for Quality of Service (QoS) guarantees
- \* Managing the lifecycle of a Cloud application
- \* Managing Elasticity
  - \* Resource Provisioning
  - \* Self-adaptation



#### Introduction: resource provisioning

Resource Provisioning: mechanism for leasing and releasing virtual cloud resources to guarantee adequate QoS

- ... it requires management solutions that support
- \* Performance prediction,
- Monitoring of Service Level Agreements (SLA),
- Adaptive re-configuration actions.

Tools currently supplied by laaS providers, are often too basic and inadequate for

- Highly variable workload,
- Applications with a dynamic behavior characterized by uncertainty.

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#### Introduction: our approach

Proposal: a fast and effective Capacity Allocation technique

- \* based on the Receding Horizon control strategy
- integrated within MODAClouds runtime platform
- \* that minimizes the execution costs of a Cloud application,
- guaranteeing QoS constraints expressed in terms of average response time



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# Problem: design assumptions

Perspective of a **Software-as-a-Service (SaaS)** provider hosting his/her applications on an **Infrastructure-as-a-Service (IaaS)** provider

**Applications** are single **tier** hosted in virtual machines (VMs) that are dynamically instantiated by the IaaS provider

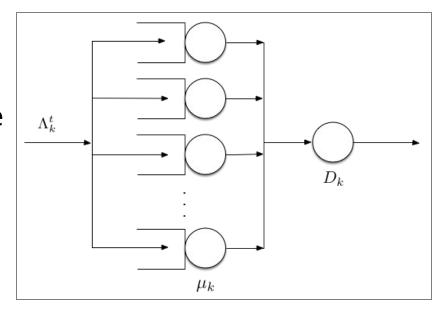
Each VM hosts a single WS application

Multiple **homogeneous** VMs implementing the same WS application can run in parallel

# Problem: design assumptions

Each **WS class** hosted in a VM is modeled as an **M/G/1 queue** in tandem with a delay center

**SLA** based on the average response time; every WS class has to prayide a response time lower than a threshold





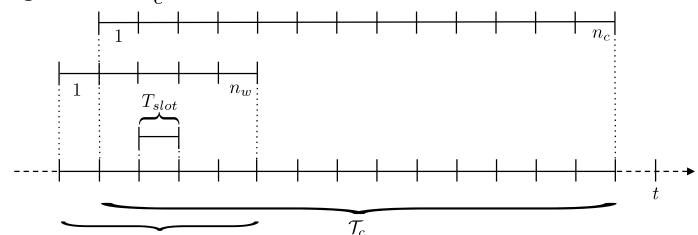
# Problem: design assumptions

IaaS providers charge software providers on an hourly basis

- \* reserved VMs (  $\rho$  time-unit cost)
- \* on demand VMs ( $\delta$  time-unit cost  $\rho < \delta$  )

#### Time management:

- \* Time slots:  $T_{slot}$  (5, 10 min)
- \* Time window:  $T_w$  ( 1-5  $T_{slot}$ )
- \* Charging interval:  $T_c$  (60 min)





#### Problem: formulation

#### **System parameters**

Time unit costs

Time management

Freely available VMs

Workload prediction

	$\mathcal{K}$	Set of WS applications					
	$\delta$	Time unit cost (measured in dollars) for on-demand VMs					
	ho	Time unit cost (measured in dollars) for reserved VMs					
	$\mathcal{T}_w$	Set of time slots within the sliding time window					
	$\mathcal{T}_c$	Set of time slots within a charging interval					
	$T_{slot}$	Short-term CA time slot, measured in minutes					
	$n_c$	Number of time slots within the charging interval $\mathcal{T}_c$					
	$n_w$	Number of time slots within the time window $\mathcal{T}_w$					
	$\overline{\overline{r}}_k^t$	Number of reserved VMs freely available at time slot $t$ in the					
_	,,	interval under analysis, for request class $k$					
	$\overline{d}_{m{k}}^t$	Number of <i>on-demand</i> VMs available for free at time slot					
	70	in the interval under analysis, for request class $k$					
	$\Lambda_k^t$	Real local arrival rate (measured in requests/sec) for reques					
	n.	class $k$ , at time slot $t$					
┩	$\widehat{\Lambda}_k^t$	Local arrival rate prediction (measured in requests/sec) for					
L	r.	request class $k$ , at time slot $t$					
	$\overline{R}_k$	Average response time threshold for request class $k$					
	Maximum number of reserved instances available						
		·					

#### **Decision Variables**

CA plan

 $_{mt}$ 

Number of *on-demand* VMs to be allocated for request class k at time slot t

 $r_k^t$  Number of reserved VMs to be allocated for request class k at time slot t

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#### Problem: formulation

#### The CA problem can be formulated as:

(P) 
$$\min_{r_k^t, d_k^t} \sum_{k \in \mathcal{K}} \left( \rho \sum_{t=1}^{n_w} r_k^t + \delta \sum_{t=1}^{n_w} d_k^t \right)$$

Total cost

#### Subject to the conditions:

$$R_k(r_k^1, \overline{r}_k^1, \dots, r_k^t, \overline{r}_k^t, d_k^1, \overline{d}_k^1, \dots, d_k^t, \overline{d}_k^t, \widehat{\Lambda}_k^1, \dots, \widehat{\Lambda}_k^t) \leq \overline{R}_k$$

 $\forall k \in \mathcal{K}, \ \forall t \in \mathcal{T}_w$ 

Response time

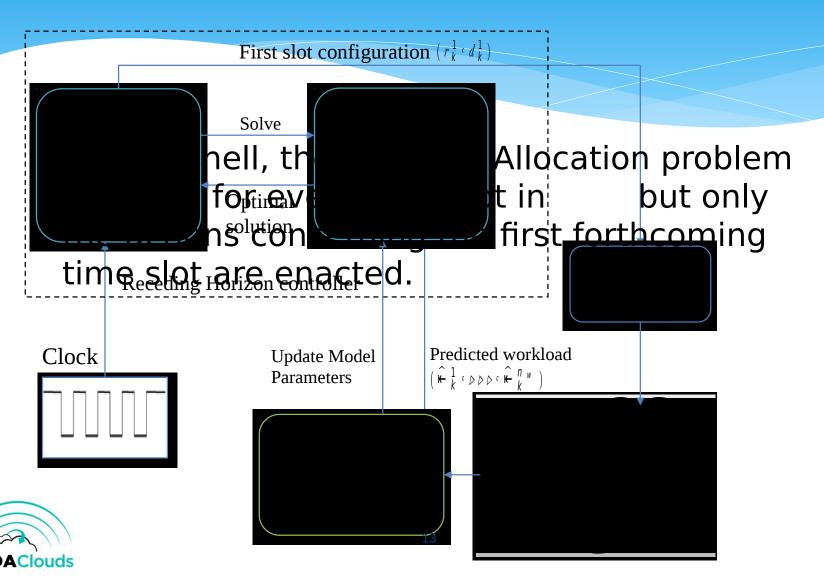
$$\sum_{k \in \mathcal{K}} (r_k^t + \overline{r}_k^t) \le W, \ \forall t \in \mathcal{T}_w$$

limited number of reserved VMs

$$r_k^t \ge 0, \ r_k^t \in \mathbb{N} \ \forall k \in \mathcal{K}, \ \forall t \in \mathcal{T}_w$$
  
 $d_k^t \ge 0, \ d_k^t \in \mathbb{N} \ \forall k \in \mathcal{K}, \ \forall t \in \mathcal{T}_w$ 



## Receding Horizon Algorithm



#### Receding Horizon Algorithm

#### **Algorithm 1** Receding Horizon Algorithm

```
1: procedure SOLUTION ALGORITHM
               for all k \in \mathcal{K} do
  2:
                       for w \leftarrow 1, n_w do
  3:
                              \widehat{\Lambda}_k^w \leftarrow \textit{GetPrediction}(w, k)
                             \overline{r}_{k}^{\ddot{w}} \leftarrow N_{res,k}^{t+w}
\overline{d}_{k}^{w} \leftarrow N_{ond,k}^{t+w}
  5:
  6:
                       end for
               end for
                Solve (P, \overline{r}, \overline{d}, \widehat{\Lambda})
  9:
                for all k \in \mathcal{K} do
 10:
                        Scale (k, r_k^1, d_k^1)
 11:
                      for j \leftarrow 1, n_c do N_{res,k}^{t+j} \leftarrow N_{res,k}^{t+j} + r_k^1 N_{ond,k}^{t+j} \leftarrow N_{ond,k}^{t+j} + d_k^1
12:
13:
14:
                       end for
15:
                end for
16:
```

17: end procedure

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Initialization

Solving the current model

 $Applying \ the \ changes$   $according \ to \ the \ first$   $time \ slot \ decisions$ 

 $State\ update$ 

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### Experimental Analysis

#### Scalability:

- \* Large set of randomly generated instances
- \* Daily distribution of requests from real log traces

Comparison with state of the art approaches:

- \* Heuristic
- Oracle with perfect knowledge of the future

Time scale analysis:

\* SLA violations



### **Experiment Design**

#### Workload prediction

- Incoming workload has been obtained for traces of a very large dynamic web-based system
- Different workload for each WS class
- Prediction obtained by adding white noise to each sample
- Noise proportional to the arrival rate
- Inaccuracy increases with the time slot

Performance parameters  $\mu_k \in [200, 400]$  req/sec \* Service rate

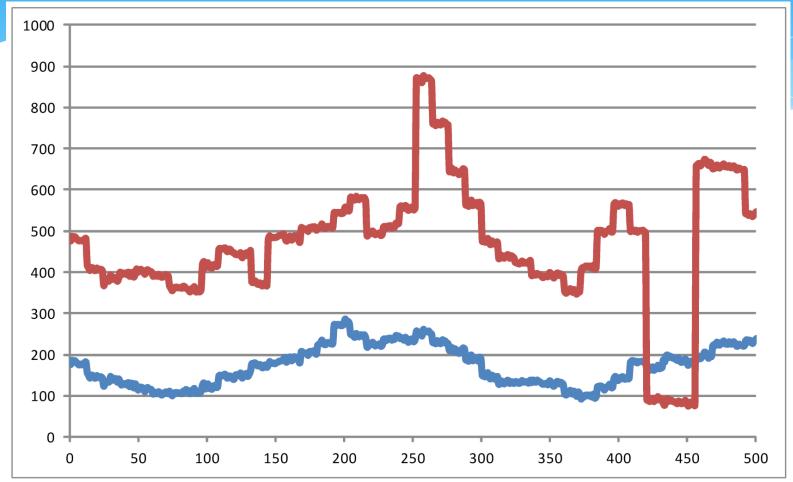
- \* Queueing delay  $D_k \in [0.001, 0.05]s$  \* Reserved instances W=10

#### Instance cost

Randomly generated considering prices currently charged by common laaS providers



## Experiment Design



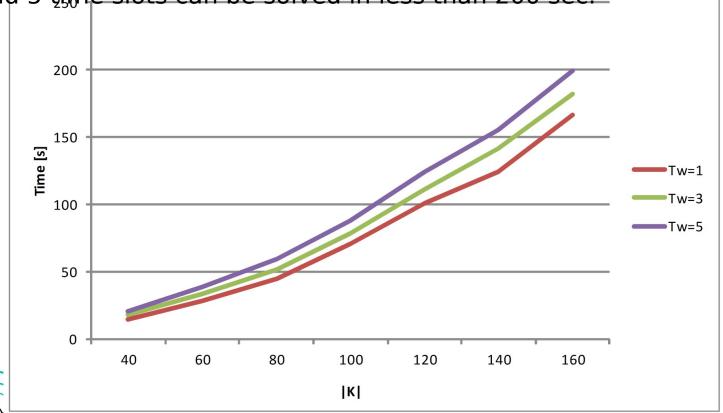


### Scalability

The analysis demonstrated that our approach scales almost linearly with

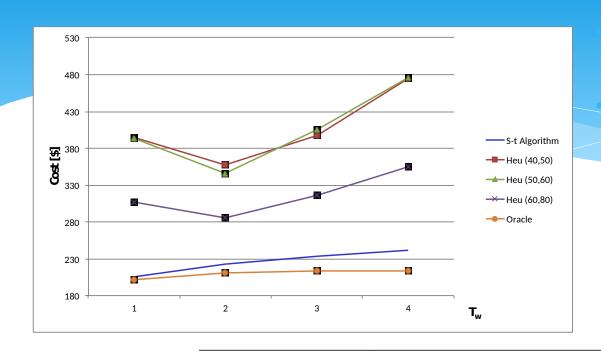
respect to the number of request classes. Systems up to 160 classes

and 5 time slots can be solved in less than 200 sec.





#### Cost - Normal traffic



10 minutes time scale

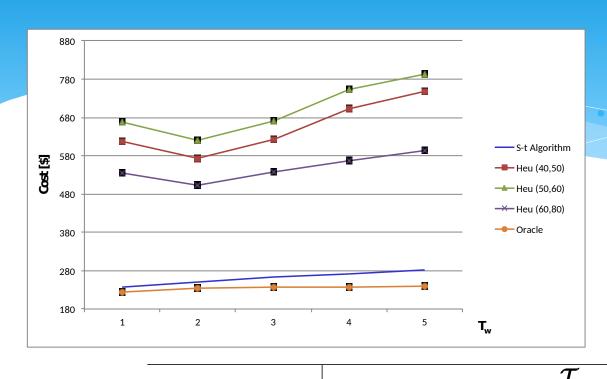
Low noise level

Costs comparison

	$\mathcal{T}_{w}$			
Solution	1	<b>2</b>	3	4
Oracle	0.00%	0.00%	0.00%	0.00%
S-t Algorithm	2.00%	5.78%	9.31%	13.05%
Heu $(40\%, 50\%)$	95.81%	68.97%	85.51%	122.15%
Heu $(50\%, 60\%)$	95.09%	63.72%	85.59%	122.88%
Heu (60%, 80%)	52.39%	34.88%	47.54%	65.81%



## Cost - Spiky traffic



5 minutes time scale

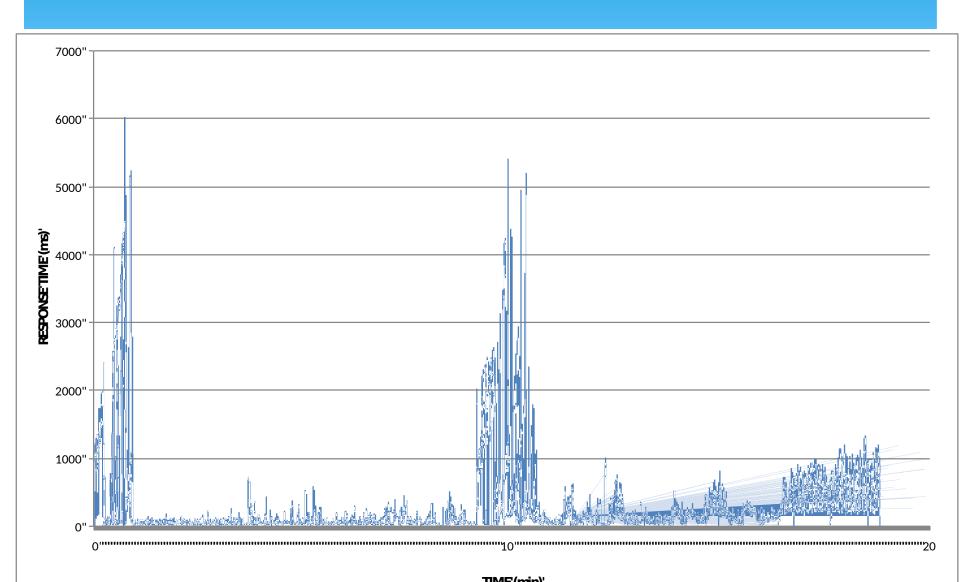
Low noise level

Costs comparison

			$^{\prime}w$		
Solution	1	${f 2}$	3	4	5
Oracle	0.00%	0.00%	0.00%	0 .00%	0.00%
S-t Algorithm	5.10%	7.75%	11.02%	13.73%	16.86%
Heu $(40\%, 50\%)$	175.37%	145.68%	162.70%	195.95%	210.97%
Heu $(50\%, 60\%)$	197.36%	165.89%	183.58%	216.52%	229.00%
Heu $(60\%, 80\%)$	138.10%	115.46%	126.85%	138.88%	146.38%



## Time scale analysis



### Time scale analysis

$\overline{\mathcal{T}_w}$	SLA V	iolations [%]	Dropped Requests [%]		
	5 min	<b>10</b> min	5 min	10 min	
1	0.49	1.74	5.56	6.71	
2	1.08	0.56	5.91	6.34	
3	0.90	1.81	5.99	6.26	
4	1.15	1.88	5.61	5.95	

The values are related to a 24 hours analysis with low noise and averaged over 10 executions.

A control time granularity of 5 minutes tends to provide better performance if compared to granularity of 10 minutes both in terms of SLA violations and in terms of dropped requests.



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# Conclusions and Future Works

We proposed optimization approach to achieve fast, scalable and effective capacity allocation based on a fine grained time scale

Our technique is able to minimize costs in a more efficient way than the current state of the art

The QoS defined into the SLA is almost always respected (less than 2% and 7 min)

#### Future works:

 development of an adaptive approach able to switch between different time scales according to the workload conditions

Test on a real prototype environment



#### Thank You!



## Questions

